# Package 'PASWR' 

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## Description

Data and functions for the book Probability and Statistics with $R$

## Details

| Package: | PASWR |
| :--- | :--- |
| Type: | Package |
| Version: | 1.2 |
| Date: | $2016-02-24$ |
| License: | GPL $(>=2)$ |

Comprehensive and engineering-oriented, Probability and Statistics with $R$ provides a thorough treatment of probability and statistics, clear and accessible real-world examples, and fully detailed proofs. The text provides step-by-step explanations for numerous examples in R and S-PLUS for nearly every topic covered, including both traditional and nonparametric techniques. With a wide range of graphs to illustrate complex material as well as a solutions manual, the book also offers an accompanying website that features supporting information, including datasets, functions, and other downloadable material. It is ideal for undergraduate students and for engineers and scientists who must perform statistical analyses.

## Author(s)

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## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.
Aggression TV and Behavior

## Description

Data regarding aggressive behavior in relation to exposure to violent television programs used in Example 10.5

## Format

A data frame with 16 observations on the following 2 variables:

- violence (an integer vector)
- noviolence (an integer vector)


## Details

This is data regarding aggressive behavior in relation to exposure to violent television programs from Gibbons (1997) with the following exposition:
... a group of children are matched as well as possible as regards home environment, genetic factors, intelligence, parental attitudes, and so forth, in an effort to minimize factors other than TV that might influence a tendency for aggressive behavior. In each of the resulting 16 pairs, one child is randomly selected to view the most violent shows on TV, while the other watches cartoons, situation comedies, and the like. The children are then subjected to a series of tests designed to produce an ordinal measure of their aggression factors. (pages 143-144)

## Source

Gibbons, J. D. (1997) Nonparametric Methods for Quantitative Analysis. American Sciences Press.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Aggression,
wilcox.test(violence, noviolence, paired = TRUE,
alternative = "greater"))
```


## Apple

Apple Hardness

## Description

An experiment was undertaken where seventeen recently picked (Fresh) apples were randomly selected and measured for hardness. Seventeen apples were also randomly selected from a warehouse (Warehouse) where the apples had been stored for one week. Data are used in Example 8.10.

## Format

A data frame with 17 observations on the following 2 variables: \#'

- Fresh (hardness rating measured in $\mathrm{kg} /$ meter $^{2}$ )
- Warehouse (hardness rating measured in $\mathrm{kg} /$ meter $^{2}$ )


## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
# Figure 8.5
attach(Apple)
par(pty = "s")
Altblue <- "#A9E2FF"
Adkblue <- "#0080FF"
fresh <- qqnorm(Fresh)
old <- qqnorm(Warehouse)
plot(fresh, type = "n",ylab = "Sample Quantiles", xlab = "Theoretical Quantiles")
qqline(Fresh, col = Altblue)
qqline(Warehouse, col = Adkblue)
points(fresh, col = Altblue, pch = 16, cex = 1.2)
points(old, col = Adkblue, pch = 17)
legend(-1.75, 9.45, c("Fresh", "Warehouse"), col = c(Altblue, Adkblue),
text.col = c("black","black"), pch = c(16, 17), lty = c(1, 1), bg = "gray95", cex = 0.75)
title("Q-Q Normal Plots")
detach(Apple)
# Trellis approach
qqmath(~c(Fresh, Warehouse), type = c("p","r"), pch = c(16, 17),
cex = 1.2, col=c("#A9E2FF", "#0080FF"),
groups=rep(c("Fresh", "Warehouse"), c(length(Fresh), length(Warehouse))),
data = Apple, ylab = "Sample Quantiles", xlab = "Theoretical Quantiles")
```


## AptSize Apartment Size

## Description

Size of apartments in Mendebaldea, Spain and San Jorge, Spain

## Format

A data frame with 8 observations on the following 2 variables:
Mendebaldea Mendebaldea apartment size in square meters
SanJorge San Jorge apartment size in square meters

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = AptSize,
```

boxplot(Mendebaldea, SanJorge) )

Baberuth
George Herman Ruth

## Description

Baseball statistics for George Herman Ruth (The Bambino or The Sultan Of Swat)

## Format

A data frame with 22 observations on the following 14 variables.
Year year in which the season occurred
Team team he played for Bos-A, Bos-N, or NY-A
G games played
$\mathbf{A B}$ at bats
$\mathbf{R}$ runs scored
H hits
X2B doubles
X3B triples
HR home runs
RBI runs batted in
SB stolen bases
BB base on balls or walks
BA batting average $\mathrm{H} / \mathrm{AB}$
SLG slugging percentage (total bases/at bats)

## Source

https://www.baseball-reference.com/about/bat_glossary.shtml

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Baberuth,
hist(RBI))
```


## Description

Two volunteers each consumed a twelve ounce beer every fifteen minutes for one hour. One hour after the fourth beer was consumed, each volunteer's blood alcohol was measured with a different breathalyzer from the same company. The numbers recorded in data frame Bac are the sorted blood alcohol content values reported with breathalyzers from company $X$ and company $Y$. Data are used in Example 9.15.

## Format

A data frame with 10 observations on the following 2 variables:
X blood alcohol content measured in $\mathrm{g} / \mathrm{L}$
Y blood alcohol content measured in $\mathrm{g} / \mathrm{L}$

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with (data = Bac,
var.test(X, Y, alternative = "less"))
Battery Lithium Batteries

## Description

A manufacturer of lithium batteries has two production facilities, A and B. Fifty randomly selected batteries with an advertised life of 180 hours are selected, and tested. The lifetimes are stored in (facilityA). Fifty ramdomly selected batteries with an advertised life of 200 hours are selected, and tested. The lifetimes are stored in (facilityB).

## Format

A data frame with 50 observations on the following 2 variables:
facilityA life time measured in hours
facility $\mathbf{B}$ life time measured in hours

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Battery,
qqnorm(facilityA))
with(data = Battery,
qqline(facilityA))
```

bino.gen
Simulating Binomial Distribution

## Description

Function that generates and displays $m$ repeated samples of $n$ Bernoulli trials with a given probability of success.

## Usage

bino.gen(samples, n, pi)

## Arguments

samples number of repeated samples to generate
n number of Bernoulli trials
pi probability of success for Bernoulli trial

## Value

simulated.distribution
Simulated binomial distribution
theoretical.distribution
Theoretical binomial distribution

## Author(s)

Alan T. Arnholt

## Examples

bino.gen(1000, 20, 0.75)
biomass Beech Trees

## Description

Several measurements of 42 beech trees (Fagus Sylvatica) taken from a forest in Navarra (Spain).

## Format

A data frame with 42 observations on the following 4 variables:
Dn diameter of the stem in centimeters
$\mathbf{H}$ height of the tree in meters
PST weight of the stem in kilograms
PSA aboveground weight in kilograms

## Source

Gobierno de Navarra and Gestion Ambiental Viveros y Repoblaciones de Navarra, 2006. The data were obtained within the European Project FORSEE.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
    plot(log(PSA) ~ log(Dn), data = biomass)
```

Bodyfat Body Fat Composition

## Description

Values from a study reported in the American Journal of Clinical Nutrition that investigated a new method for measuring body composition

## Format

A data frame with 18 observations on the following 3 variables:
age age in years
fat body fat composition
sex a factor with levels $F$ for female and $M$ for male

## Source

Mazess, R. B., Peppler, W. W., and Gibbons, M. (1984) Total Body Composition by Dual-Photon (153 Gd) Absorptiometry. American Journal of Clinical Nutrition, 40, 4: 834-839.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
boxplot(fat ~ sex, data = Bodyfat)
```

Calculus Calculus Assessment Scores

## Description

Mathematical assessment scores for 36 students enrolled in a biostatistics course according to whether or not the students had successfully completed a calculus course prior to enrolling in the biostatistics course

## Format

A data frame with 18 observations on the following 2 variables:
No.Calculus assessment score for students with no prior calculus
Yes.Calculus assessment score for students with prior calculus

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Calculus,
z.test(x = Yes.Calculus, y = No.Calculus, sigma.x = 5, sigma.y = 12)$conf
)
```


## Description

The numbers of cars per 1000 inhabitants (cars), the total number of known mortal accidents (deaths), and the country population/1000 (population) for the 25 member countries of the European Union for the year 2004

## Format

A data frame with 25 observations on the following 4 variables:
country a factor with levels Austria, Belgium, Cyprus, Czech Republic, Denmark, Estonia, Finland, France, Germany, Greece, Hungary, Ireland, Italy, Latvia, Lithuania, Luxembourg, Malta, Netherlands, Poland, Portugal, Slovakia, Slovenia, Spain, Sweden, and United Kingdom
cars numbers of cars per 1000 inhabitants
deaths total number of known mortal accidents
population country population/1000

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
plot(deaths ~ cars, data = Cars2004EU)
```

```
checking.plots Checking Plots
```


## Description

Function that creates four graphs that can be used to help assess independence, normality, and constant variance

## Usage

checking.plots(model, n.id $=3, \mathrm{COL}=\mathrm{c}(" \# 0080 \mathrm{FF} ", \quad " \# A 9 E 2 F F "))$

## Arguments

| model | an aov or lm object |
| :--- | :--- |
| n.id | the number of points to identify |
| COL | vector of two colors |

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## See Also

twoway.plots, oneway.plots

## Examples

```
mod.aov <- aov(StopDist ~ tire, data = Tire)
checking.plots(mod.aov)
rm(mod.aov)
```

Chips Silicon Chips

## Description

Two techniques of splitting chips are randomly assigned to 28 sheets so that each technique is applied to 14 sheets. The values recorded in Chips are the number of usable chips from each silicon sheet.

## Format

A data frame with 14 observations on the following 2 variables:
techniqueI number of usable chips
techniqueII number of usable chips

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
par(mfrow = c(1, 2))
with(data = Chips, qqnorm(techniqueI))
with(data = Chips, qqline(techniqueI))
with(data = Chips, qqnorm(techniqueII))
with(data = Chips, qqline(techniqueII))
par(mfrow=c(1, 1))
# Trellis Approach
graph1 <- qqmath(~techniqueI, data = Chips, type=c("p", "r"))
graph2 <- qqmath(~techniqueII, data = Chips, type=c("p", "r"))
print(graph1, split=c(1, 1, 2, 1), more = TRUE)
print(graph2, split=c(2, 1, 2, 1), more = FALSE)
rm(graph1, graph2)
```


## Description

CircuitDesigns contains the results from an accelerated life test used to estimate the lifetime of four different circuit designs (lifetimes in thousands of hours).

## Format

A data frame with 26 observations on the following 2 variables:
lifetime lifetimes in thousands of hours
design a factor with levels Design1, Design2, Design3, and Design4

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
bwplot(design ~ lifetime, data = CircuitDesigns)
```


## Description

This program simulates random samples from which it constructs confidence intervals for either the population mean, the population variance, or the population proportion of successes.

```
Usage
    CIsim(
        samples = 100,
        n = 30,
        parameter = 0.5,
        sigma = 1,
        conf.level = 0.95,
        type = c("Mean", "Var", "Pi")
    )
```


## Arguments

samples the number of samples desired.
n the size of each sample
parameter If constructing confidence intervals for the population mean or the population variance, parameter is the population mean (i.e., type is one of either "Mean" or "Var"). If constructing confidence intervals for the population proportion of successes, the value entered for parameter represents the population proportion of successes $(\mathrm{Pi})$, and as such, must be a number between 0 and 1.
sigma is the population standard deviation. sigma is not required if confidence intervals are of type "Pi".
conf.level confidence level for the graphed confidence intervals, restricted to lie between zero and one
type character string, one of "Mean", "Var", or "Pi", or just the initial letter of each, indicating the type of confidence interval simulation to perform

## Details

Default is to construct confidence intervals for the population mean. Simulated confidence intervals for the population variance or population proportion of successes are possible by selecting the appropriate value in the type argument.

## Value

Performs specified simulation and draws the resulting confidence intervals on a graphical device.

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## Examples

```
CIsim(samples = 100, n = 30, parameter = 100, sigma = 10, conf.level = 0.90)
# Simulates 100 samples of size 30 from a normal distribution with mean 100
# and a standard deviation of 10. From the 100 simulated samples, 90% confidence
# intervals for the Mean are constructed and depicted in the graph.
CIsim(100, 30, 100, 10, type = "Var")
# Simulates 100 sample of size 30 from a normal distribution with mean 100
# and a standard deviation of 10. From the 100 simulated samples, 95% confidence
# intervals for the variance are constructed and depicted in the graph.
CIsim(100, 50, 0.5, type = "Pi", conf.level = 0.92)
# Simulates 100 samples of size 50 from a binomial distribution where the
# population proportion of successes is 0.5. From the 100 simulated samples,
# 92% confidence intervals for Pi are constructed and depicted in the graph.
```


## Combinations Combinations

## Description

Computes all possible combinations of n objects taken k at a time.

## Usage

Combinations(n, k)

## Arguments

n
a number
k
a number less than or equal to $n$

## Value

Returns a matrix containing the possible combinations of $n$ objects taken $k$ at a time.

## See Also

SRS

## Examples

```
Combinations(5,2)
    # The columns in the matrix list the values of the 10 possible
    # combinations of 5 things taken 2 at a time.
```

    CosAma Cosmed Versus Amatek
    
## Description

The Cosmed is a portable metabolic system. A study at Appalachian State University compared the metabolic values obtained from the Cosmed to those of a reference unit (Amatek) over a range of workloads from easy to maximal to test the validity and reliability of the Cosmed. A small portion of the results for VO2 $(\mathrm{ml} / \mathrm{kg} / \mathrm{min})$ measurements taken at a 150 watt workload are stored in CosAma.

## Format

A data frame with 14 observations on the following 3 variables:
subject subject number
Cosmed measured VO2 with Cosmed
Amatek measured VO2 with Amatek

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
bwplot(~(Cosmed - Amatek), data = CosAma)
```

Cows Butterfat of Cows

## Description

Random samples of ten mature (five-year-old and older) and ten two-year-old cows were taken from each of five breeds. The average butterfat percentage of these 100 cows is stored in the variable butterfat with the type of cow stored in the variable breed and the age of the cow stored in the variable age.

## Format

A data frame with 100 observations on the following 3 variables:
butterfat average butterfat percentage
age a factor with levels 2 years old and Mature
breed a factor with levels Ayrshire, Canadian, Guernsey, Holstein-Friesian, and Jersey

## Source

Canadian record book of purebreed diary cattle.

## References

Sokal, R. R. and Rohlf, F. J. (1994) Biometry. W. H. Freeman, New York, third edition.

## Examples

summary(aov(butterfat $\sim$ breed + age, data $=$ Cows) $)$
Depend Number of Dependent Children for 50 Families

## Description

Number of dependent children for 50 families.

## Format

A data frame with 50 observations on the following 4 variables.
C1 a numeric vector
number a numeric vector
Count a numeric vector
Percent a numeric vector

## Source

Kitchens, L. J. (2003) Basic Statistics and Data Analysis. Duxbury

## Examples

```
with(data = Depend, table(C1))
```

Drosophila Drosophila Melanogaster

## Description

Drosophila contains per diem fecundity (number of eggs laid per female per day for the first 14 days of life) for 25 females from each of three lines of Drosophila melanogaster. The three lines are Nonselected (control), Resistant, and Susceptible. Data are used in Example 11.5.

## Format

A data frame with 75 observations on the following 2 variables:
Fecundity number of eggs laid per female per day for the first 14 days of life
Line a factor with levels Nonselected, Resistant, and Susceptible

## Source

The original measurements are from an experiment conducted by R. R. Sokal (Sokal and Rohlf, 1994, p. 237).

## References

Sokal, R. R. and Rohlf, F. J. (1994) Biometry. W. H. Freeman, New York, third edition.

## Examples

```
summary(aov(Fecundity ~ Line, data = Drosophila))
```


## Description

Function that produces a histogram, density plot, boxplot, and Q-Q plot

## Usage

EDA(x, trim $=0.05$, dec $=3)$

## Arguments

$$
\begin{array}{ll}
x & \text { is a numeric vector where NAs and Infs are allowed but will be removed. } \\
\text { trim } & \begin{array}{l}
\text { is a fraction (between } 0 \text { and } 0.5, \text { inclusive) of values to be trimmed from each } \\
\text { end of the ordered data such that if trim }=0.5, \text { the result is the median. }
\end{array} \\
\text { dec } & \text { is a number specifying the number of decimals }
\end{array}
$$

## Details

The function EDA() will not return console window information on data sets containing more than 5000 observations. It will, however, still produce graphical output for data sets containing more than 5000 observations.

## Value

Function returns various measures of center and location. The values returned for the quartiles are based on the default $\mathbf{R}$ definitions for quartiles. For more information on the definition of the quartiles, type ?quantile and read about the algorithm used by type $=7$.

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## Examples

```
EDA(x = rnorm(100))
# Produces four graphs for the 100 randomly
# generated standard normal variates.
```

Engineer Engineer Salaries

## Description

Salaries for engineering graduates 10 years after graduation

## Format

A data frame with 51 observations on the following 2 variables:
salary salary 10 years after graduation in thousands of dollars
university one of three different engineering universities

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
boxplot(salary ~ university, data = Engineer, horizontal = TRUE)
# Trellis Approach
bwplot(university ~ salary, data = Engineer)
```

EPIDURAL Traditional Sitting Position Versus Hamstring Stretch Position

## Description

Initial results from a study to determine whether the traditional sitting position or the hamstring stretch position is superior for administering epidural anesthesia to pregnant women in labor as measured by the number of obstructive (needle to bone) contacts (OC)

## Format

A data frame with 85 observations on the following 7 variables:
Doctor a factor with levels Dr. A, Dr. B, Dr. C, and Dr. D
$\mathbf{k g}$ weight in kg of patient
cm height in cm of pateint
Ease a factor with levels Difficult, Easy, and Impossible indicating the physician's assessment of how well bone landmarks can be felt in the patient

Treatment a factor with levels Hamstring Stretch and Traditional Sitting
OC number of obstructive contacts
Complications a factor with levels Failure - person got dizzy, Failure - too many OCs, None, Paresthesia, and Wet Tap

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
EPIDURAL$Teasy <- factor(EPIDURAL$Ease,
levels = c("Easy", "Difficult", "Impossible"))
X <- table(EPIDURAL$Doctor, EPIDURAL$Teasy)
X
par(mfrow = c(2, 2)) # Figure 2.12
barplot(X,
main = "Barplot where Doctor is Stacked \n within Levels of Palpitation")
barplot(t(X),
main = "Barplot where Levels of Palpitation \n is Stacked within Doctor")
barplot(X, beside = TRUE,
main = "Barplot where Doctor is Grouped \n within Levels of Palpitation")
barplot(t(X), beside = TRUE,
main = "Barplot where Levels of Palpitation \n is Grouped within Doctor")
par(mfrow = c(1, 1))
rm(X)
```

```
EPIDURALf
Traditional Sitting Position Versus Hamstring Stretch Position
```


## Description

Intermediate results from a study to determine whether the traditional sitting position or the hamstring stretch position is superior for administering epidural anesthesia to pregnant women in labor as measured by the number of obstructive (needle to bone) contacts (OC)

## Format

A data frame with 342 observations on the following 7 variables:
Doctor a factor with levels Dr. A, Dr. B, Dr. C, and Dr. D
kg weight in kg of patient
$\mathbf{c m}$ height in cm of pateint
Ease a factor with levels Difficult, Easy, and Impossible indicating the physician's assessment of how well bone landmarks can be felt in the patient

Treatment a factor with levels Hamstring Stretch and Traditional Sitting
OC number of obstructive contacts
Complications a factor with levels Failure - person got dizzy, Failure - too many OCs, None, Paresthesia, and Wet Tap

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

boxplot( $0 C \sim$ Treatment, data $=$ EPIDURALf)
EURD European Union Research and Development

## Description

A random sample of 15 countries' research and development investments for the years 2002 and 2003 is taken and the results in millions of euros are stored in EURD.

## Format

A data frame with 15 observations on the following 3 variables:
Country a factor with levels Bulgaria, Croatia, Cyprus, Czech Republic, Estonia, France, Hungary, Latvia, Lithuania, Malta, Portugal, Romania, Slovakia, and Slovenia

RD2002 research and development investments in millions of euros for 2002
RD2003 research and development investments in millions of euros for 2003

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
qqmath(~(RD2003 - RD2002), data = EURD, type=c("p", "r"))
```


## Description

The carbon retained by leaves measured in $\mathrm{kg} / \mathrm{ha}$ is recorded for forty-one different plots of mountainous regions of Navarra (Spain), depending on the forest classification: areas with $90 \%$ or more beech trees (Fagus Sylvatica) are labeled monospecific, while areas with many species of trees are labeled multispecific.

## Format

A data frame with 41 observations on the following 3 variables:
Plot plot number
carbon carbon retained by leaves measured in $\mathrm{kg} / \mathrm{ha}$
type a factor with levels monospecific and multispecific

## Source

Gobierno de Navarra and Gestion Ambiental Viveros y Repoblaciones de Navarra, 2006. The data were obtained within the European Project FORSEE.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
boxplot(carbon ~ type, data=fagus)
```

FCD Fat Cats

## Description

In a weight loss study on obese cats, overweight cats were randomly assigned to one of three groups and boarded in a kennel. In each of the three groups, the cats' total caloric intake was strictly controlled ( 1 cup of generic cat food) and monitored for 10 days. The difference between the groups was that group A was given $1 / 4$ of a cup of cat food every six hours, group B was given $1 / 3$ a cup of cat food every eight hours, and group $C$ was given $1 / 2$ a cup of cat food every twelve hours. The weight of the cats at the beginning and end of the study was recorded and the difference in weights (grams) is stored in the variable Weight of the data frame FCD. Data are used in Example 11.4.

## Format

A data frame with 36 observations on the following 2 variables:
Weight difference in weights (grams)
Diet a factor with levels A, B, and C

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

\# Figure 11.12
FCD. aov <- aov (Weight ~ Diet, data = FCD)
checking.plots(FCD.aov)
rm(FCD.aov)

Fertilize Cross and Auto Fertilization

## Description

Plants' heights in inches obtained from two seeds, one obtained by cross fertilization and the other by auto fertilization, in two opposite but separate locations of a pot are recorded.

## Format

A data frame with 15 observations on the following 2 variables:
cross height of plant in inches
self height of plant in inches

## Source

Darwin, C. (1876) The Effect of Cross and Self-Fertilization in the Vegetable Kingdom

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Fertilize,
```

t.test(cross, self))
food Carrot Shear

## Description

Shear measured in kN on frozen carrots from four randomly selected freezers

## Format

A data frame with 16 observations on the following 2 variables:
shear carrot shear measured in kN
freezer a factor with levels $A, B, C$, and $D$

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
summary(aov(shear ~ freezer, data = food))
```

Formula1 Pit Stop Times

## Description

Pit stop times for two teams at 10 randomly selected Formula 1 races

## Format

A data frame with 10 observations on the following 3 variables:
Race number corresponding to a race site
Team1 pit stop times for team one
Team2 pit stop times for team two

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Formula1,
```

boxplot(Team1, Team2))

GD Times Until Failure

## Description

Contains time until failure in hours for a particular electronic component subjected to an accelerated stress test.

## Format

A data frame with 100 observations on the following variable:
attf times until failure in hours

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = GD,
hist(attf, prob = TRUE))
with(data = GD,
lines(density(attf)))
# Trellis Approach
histogram(~attf, data = GD, type = "density",
panel = function(x, ...) {
panel.histogram(x, ...)
panel.densityplot(x, col = "blue", plot.points = TRUE, lwd = 2)
} )
```

```
    glucose Blood Glucose Levels
```


## Description

Fifteen diabetic patients were randomly selected, and their blood glucose levels were measured in $\mathrm{mg} / 100 \mathrm{ml}$ with two different devices.

## Format

A data frame with 15 observations on the following 3 variables:
Patient patient number
Old blood glucose level in $\mathrm{mg} / 100 \mathrm{ml}$ using old device
New blood glucose level in $\mathrm{mg} / 100 \mathrm{ml}$ using new device

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = glucose,
boxplot(Old, New))
```

Grades GPA and SAT Scores

## Description

The admissions committee of a comprehensive state university selected at random the records of 200 second semester freshmen. The results, first semester college GPA and SAT scores, are stored in the data frame Grades. Data are used in Example 12.6.

## Format

A data frame with 200 observations on the following 2 variables:
sat SAT score
gpa grade point average

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
# traditional scatterplot
plot(gpa ~ sat, data = Grades)
# trellis scatterplot
xyplot(gpa ~ sat, data = Grades, type=c("p", "smooth"))
```

Grocery Grocery Spending

## Description

The consumer expenditure survey, created by the U.S. Department of Labor, was administered to 30 households in Watauga County, North Carolina, to see how the cost of living in Watauga county with respect to total dollars spent on groceries compares with other counties. The amount of money each household spent per week on groceries is stored in the variable groceries. Data are used in Example 8.3.

## Format

A data frame with 30 observations on the following variable:
groceries total dollars spent on groceries

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Grocery,
z.test(x = groceries, sigma.x = 30, conf.level = 0.97)$conf)
```

HardWater Mortality and Water Hardness

## Description

Mortality and drinking water hardness for 61 cities in England and Wales.

## Format

A data frame with 61 observations on the following 4 variables.
location a factor with levels North South indicating whether the town is as north as Derby
town the name of the town
mortality averaged annual mortality per 100,000 males
hardness calcium concentration (in parts per million)

## Details

These data were collected in an investigation of environmental causes of disease. They show the annual mortality rate per 100,000 for males, averaged over the years 1958-1964, and the calcium concentration (in parts per million) in the drinking water supply for 61 large towns in England and Wales. (The higher the calcium concentration, the harder the water.)

## Source

D. J. Hand, F. Daly, A. D. Lunn, K. J. McConway and E. Ostrowski (1994) A Handbook of Small Datasets. Chapman and Hall/CRC, London.

## Examples

plot(mortality $\sim$ hardness, data $=$ HardWater)
House $\quad$ House Prices

## Description

Random sample of house prices (in thousands of dollars) for three bedroom/two bath houses in Watauga County, NC

## Format

A data frame with 14 observations on the following 2 variables:
Neighborhood a factor with levels Blowing Rock, Cove Creek, Green Valley, Park Valley, Parkway, and Valley Crucis
Price price of house (in thousands of dollars)

## Examples

with(data = House, t.test(Price))
HSwrestler High School Wrestlers

## Description

The body fat of 78 high school wrestlers was measured using three separate techniques, and the results are stored in the data frame HSwrestler. The techniques used were hydrostatic weighing (HWFAT), skin fold measurements (SKFAT), and the Tanita body fat scale (TANFAT). Data are used in Examples 10.11, 12.11, and 12.12.

## Format

A data frame with 78 observations on the following 9 variables:
AGE age of wrestler in years
HT height of wrestler in inches
WT weight ofwrestler in pounds
ABS abdominal fat
TRICEPS tricep fat
SUBSCAP subscapular fat
HWFAT hydrostatic fat
TANFAT Tanita fat
SKFAT skin fat

## Source

Data provided by Dr. Alan Utter, Department of Health Leisure and Exercise Science, Appalachian State University.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
FAT <- c(HSwrestler$HWFAT, HSwrestler$TANFAT, HSwrestler$SKFAT)
GROUP <- factor(rep(c("HWFAT", "TANFAT", "SKFAT"), rep(78, 3)))
BLOCK <- factor(rep(1:78, 3))
friedman.test(FAT ~ GROUP | BLOCK)
```

```
Hubble
```


## Hubble Telescope

## Description

The Hubble Space Telescope was put into orbit on April 25, 1990. Unfortunately, on June 25, 1990, a spherical aberration was discovered in Hubble's primary mirror. To correct this, astronauts had to work in space. To prepare for the mission, two teams of astronauts practiced making repairs under simulated space conditions. Each team of astronauts went through 15 identical scenarios. The times to complete each scenario were recorded in days.

## Format

A data frame with 15 observations on the following 2 variables:
Team1 days to complete scenario
Team2 days to complete scenario

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Hubble,
qqnorm(Team1 - Team2))
with(data = Hubble,
qqline(Team1 - Team2))
# Trellis Approach
qqmath(~(Team1 - Team2), data = Hubble, type=c("p", "r"))
```


## InsurQuotes Insurance Quotes

## Description

Insurance quotes for two insurers of hazardous waste jobs

## Format

A data frame with 15 observations on the following 2 variables:
companyA quotes from company $A$ in euros
companyB quotes from company $B$ in euros

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = InsurQuotes,
t.test(companyA, companyB))
```

```
    interval.plot Interval Plot
```


## Description

Function to graph intervals

## Usage

interval.plot(ll, ul, parameter = 0)

## Arguments

11 vector of lower values
ul vector of upper values
parameter value of the desired parameter (used when graphing confidence intervals)

## Value

Draws user-given intervals on a graphical device.

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## Examples

```
set.seed(385)
samples <- 100
n <- 625
ll <- numeric(samples)
ul <- numeric(samples)
xbar <- numeric(samples)
for (i in 1:samples){
    xbar[i] <- mean(rnorm(n, 80, 25))
    ll[i] <- xbar[i] - qnorm(.975)*25/sqrt(n)
    ul[i] <- xbar[i] + qnorm(.975)*25/sqrt(n)
    }
interval.plot(ll, ul, parameter = 80)
```

janka

Australian Eucalypt Hardwoods

## Description

The dataset consists of density and hardness measurements from 36 Australian Eucalypt hardwoods.

## Format

A data frame with 36 observations on the following 2 variables.
Density a measure of density of the timber
Hardness the Janka hardness of the timber

## Details

Janka Hardness is an importance rating of Australian hardwood timbers. The test measures the force required to imbed a steel ball into a piece of wood.

## Source

Williams, E.J. (1959) Regression Analysis. John Wiley \& Sons, New York.

## Examples

```
with(data = janka, plot(Hardness ~ Density, col = "blue"))
```

Kinder Kindergarten Class

## Description

The data frame Kinder contains the height in inches and weight in pounds of 20 children from a kindergarten class. Data are used in Example 12.17.

## Format

A data frame with 20 observations on the following 2 variables:
ht height in inches of child
wt weight in pounds of child

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
# Figure 12.10
with(data = Kinder,
plot(wt, ht))
# Trellis Approach
xyplot(ht ~ wt, data = Kinder)
```

    ksdist Simulated Distribution of \(D \_n\) (Kolmogorov-Smirnov)
    
## Description

Function to visualize the sampling distribution of $D_{n}$ (the Kolmogorov-Smirnov one sample statistic) and to find simulated critical values.

## Usage

ksdist( $\mathrm{n}=10$, sims $=10000$, alpha $=0.05$ )

## Arguments

n
sample size
sims
number of simulations to perform
alpha
desired $\alpha$ level

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## See Also

ksLdist

## Examples

$$
\text { ksdist( } n=10 \text {, sims }=15000 \text {, alpha }=0.05)
$$

## ksLdist Simulated Lilliefors' Test of Normality Values

## Description

Function to visualize the sampling distribution of $D_{n}$ (the Kolmogorov-Smirnov one sample statistic) for simple and composite hypotheses

## Usage

ksLdist( $\mathrm{n}=10$, sims $=10000$, alpha $=0.05$ )

## Arguments

| n | sample size |
| :--- | :--- |
| sims | number of simulations to perform |
| alpha | desired $\alpha$ level |

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## See Also

ksdist

## Examples

```
ksLdist(n = 10, sims = 1500, alpha = 0.05)
```


## Leddiode LED Diodes

## Description

The diameter in millimeters for a random sample of 15 diodes from each of the two suppliers is stored in the data frame Leddiode.

## Format

A data frame with 15 observations on the following 2 variables:
supplierA diameter in millimeters of diodes from supplier A
supplierB diameter in millimeters of diodes from supplier B

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Leddiode,
boxplot(supplierA, supplierB, col = c("red", "blue")))
```

LostR Lost Revenue Due to Worker Illness

## Description

Data set containing the lost revenue in dollars/day and number of workers absent due to illness for a metallurgic company

## Format

A data frame with 25 observations on the following 2 variables:
NumberSick number of absent workers due to illness
LostRevenue lost revenue in dollars

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
xyplot(LostRevenue ~ NumberSick, data = LostR, type=c("p", "r"))
```

```
MilkCarton Milk Carton Drying Times
```


## Description

A plastics manufacturer makes two sizes of milk containers: half gallon and gallon sizes. The time required for each size to dry is recorded in seconds in the data frame MilkCarton.

## Format

A data frame with 40 observations on the following 2 variables:
Hgallon drying time in seconds for half gallon containers
Wgallon drying time in seconds for whole gallon containers

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = MilkCarton,
boxplot(Hgallon, Wgallon))
```

normarea Normal Area

## Description

Function that computes and draws the area between two user specified values in a user specified normal distribution with a given mean and standard deviation

## Usage

normarea(lower $=-$ Inf, upper $=\operatorname{Inf}, \mathrm{m}=0$, sig $=1$ )

## Arguments

| lower | the desired lower value |
| :--- | :--- |
| upper | the desired upper value |
| $m$ | the mean for the population (default is the standard normal with $m=0$ ) |
| sig | the standard deviation of the population (default is the standard normal with sig <br> $=1)$ |

## Value

Draws the specified area in a graphics device

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## Examples

```
# Finds and graphically illustrates P(70< X < 130) given X is N(100, 15)
normarea(lower = 70, upper = 130, m = 100, sig = 15)
```

```
nsize Required Sample Size
```


## Description

Function to determine required sample size to be within a given margin of error

## Usage

nsize(b, sigma = NULL, p = 0.5, conf.level = 0.95, type = c("mu", "pi"))

## Arguments

b
sigma
p
conf.level confidence level for the problem, restricted to lie between zero and one
type character string, one of "mu" or "pi", or just the initial letter of each, indicating the appropriate parameter; default value is "mu"

## Details

Answer is based on a normal approximation when using type "pi".

## Author(s)

## Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## Examples

```
nsize(b = 0.015, p = 0.5, conf.level = 0.95, type = "pi")
# Returns the required sample size (n) to estimate the population
# proportion of successes with a 0.95 confidence interval
# so that the margin of error is no more than 0.015 when the
# estimate of the population propotion of successes is 0.5.
nsize(b = 0.02, sigma = 0.1, conf.level = 0.95, type = "mu")
# Returns the required sample size (n) to estimate the population
# mean with a 0.95 confidence interval so that the margin
# of error is no more than 0.02.
```


## ntester Normality Tester

## Description

Q-Q plots of randomly generated normal data of the same sample size as the tested data are generated and plotted on the perimeter of the graph while a Q-Q plot of the actual data is depicted in the center of the graph.

## Usage

ntester(actual.data)

## Arguments

actual.data is a numeric vector. Missing and infinite values are allowed, but are ignored in the calculation. The length of actual.data must be less than 5000 after dropping nonfinite values.

## Details

Q-Q plots of randomly generated normal data of the same size as the tested data are generated and plotted on the perimeter of the graph sheet while a Q-Q plot of the actual data is depicted in the center of the graph. The p-values are calculated based on the Shapiro-Wilk W-statistic. Function will only work on numeric vectors containing less than or equal to 5000 observations. Best used for moderate sized samples $(\mathrm{n}<50)$.

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## References

Shapiro, S.S. and Wilk, M.B. 1965. An analysis of variance test for normality (complete samples). Biometrika 52: 591-611.

## Examples

ntester (actual.data $=\operatorname{rexp}(40,1))$
\# Q-Q plot of random exponential data in center plot
\# surrounded by 8 Q-Q plots of randomly generated
\# standard normal data of size 40 .

```
oneway.plots Exploratory Graphs for Single Factor Designs
```


## Description

Function to create dotplots, boxplots, and design plot (means) for single factor designs

## Usage

oneway.plots(Y, fac1, COL = c("\#A9E2FF", "\#0080FF"))

## Arguments

Y
response variable for a single factor design
fac1 predictor variable (factor)
COL a vector with two colors

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## See Also

twoway.plots, checking.plots

## Examples

```
with(data = Tire, oneway.plots(StopDist, tire))
```

Phenyl Phenylketonuria

## Description

The data frame Phenyl records the level of Q10 at four different times for 46 patients diagnosed with phenylketonuria. The variable Q10. 1 contains the level of Q10 measured in micromoles for the 46 patients. Q10.2, Q10.3, and Q10. 4 are the values recorded at later times respectively for the 46 patients.

## Format

A data frame with 46 observations on the following 4 variables.
Q10.1 level of Q10 at time 1 in micromoles
Q10.2 level of Q10 at time 2 in micromoles
Q10.3 level of Q10 at time 3 in micromoles
Q10.4 level of Q10 at time 4 in micromoles

## Details

Phenylketonuria (PKU) is a genetic disorder that is characterized by an inability of the body to utilize the essential amino acid, phenylalanine. Research suggests patients with phenylketonuria have deficiencies in coenzyme Q10.

## Source

Artuch, R., et. al. (2004) "Study of Antioxidant Status in Phenylketonuric Patients." Clinical Biochemistry, 37: 198-203.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with(data = Phenyl,
t.test(Q10.1, conf.level = 0.99))
Phone Telephone Call Times

## Description

Phone contains times in minutes of long distance telephone calls during a one month period for a small business. Data are used in Example 10.1.

## Format

A data frame with 23 observations on the following variable:
call.time time spent on long distance calls in minutes

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with(data = Phone,
SIGN.test(call.time, md = 2.1))
Rat Rat Survival Time

## Description

The survival time in weeks of 20 male rats exposed to high levels of radiation.

## Format

A data frame with 20 observations on the following variable:
survival.time number of weeks survived

## Source

Lawless, J. (1982) Statistical Models and Methods for Lifetime Data. John Wiley, New York.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Rat,
EDA(survival.time))
```

Ratbp Rat Blood Pressure

## Description

Twelve rats were chosen, and a drug was administered to six rats, the treatment group, chosen at random. The other six rats, the control group, received a placebo. The drops in blood pressure $(\mathrm{mmHg})$ for the treatment group (with probability distribution F ) and the control group (with probability distribution G) are stored in the variables Treat and Cont, respectively. Data are used in Example 10.18.

## Format

A data frame with 6 observations on the following 2 variables:

Treat drops in blood pressure in mmHg for treatment group
Cont drops in blood pressure in mmHg for control group

## Source

The data is originally from Ott and Mendenhall (1985, problem 8.17).

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Ratbp,
```

boxplot(Treat, Cont))
Refrigerator Refrigerator Energy Consumption

## Description

Thirty 18 cubic feet refrigerators were randomly selected from a company's warehouse. The first fifteen had their motors modified while the last fifteen were left intact. The energy consumption (kilowatts) for a 24 hour period for each refrigerator was recorded and stored in the data frame Refrigerator. The refrigerators with the design modification are stored in the variable modelA, and those without the design modification are stored in the variable modelB.

## Format

A data frame with 30 observations on the following 2 variables.
modelA energy consumption in kilowatts for a 24 hour period
modelB energy consumption in kilowatts for a 24 hour period

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with(data $=$ Refrigerator,
boxplot(modelA, modelB))

Roacheggs Oriental Cockroaches

## Description

A laboratory is interested in testing a new child friendly pesticide on Blatta orientalis (oriental cockroaches). Scientists apply the new pesticide to 81 randomly selected Blatta orientalis oothecae (eggs). The results from the experiment are stored in the data frame Roacheggs in the variable eggs. A zero in the variable eggs indicates that nothing hatched from the egg while a 1 indicates the birth of a cockroach. Data is used in Example 7.16.

## Format

A data frame with 81 observations on the following variable:
eggs numeric vector where a 0 indicates nothing hatched while a 1 indicates the birth of a cockroach.

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
p <- seq(0.1, 0.9, 0.001)
negloglike <- function(p){
-(sum(Roacheggs$eggs)*log(p) + sum(1 - Roacheggs$eggs)*log(1 - p))
}
nlm(negloglike, 0.2)
rm(negloglike)
```

Salinity Surface Water Salinity

## Description

Surface-water salinity measurements were taken in a bottom-sampling project in Whitewater Bay, Florida. These data are stored in the data frame Salinity.

## Format

A data frame with 48 observations on the following variable:
salinity surface-water salinity measurements

## Source

Davis, J. (1986) Statistics and Data Analysis in Geology. John Wiley, New York.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Salinity,
EDA(salinity))
```

```
satfruit Fruit Trees
```


## Description

To estimate the total surface occupied by fruit trees in 3 small areas (R63, R67, and R68) of Navarra (Spain) in 2001, a sample of 47 square segments has been taken. The experimental units are square segments or quadrats of 4 hectares, obtained by random sampling after overlaying a square grid on the study domain. Data are used in Case Study: Fruit Trees, Chapter 12.

## Format

A data frame with 47 observations on the following 17 variables:
QUADRAT number of the sampled segment or quadrat
SArea the small area, a factor with levels R63, R67, and R68
WH area classified as wheat in sampled segment
BA area classified as barley in sampled segment
NAR area classified as non arable in sampled segment
COR area classified as corn in sampled segment
SF area classified as sunflower in sampled segment
VI area classified as vineyard in sampled segment
PS area classified as grass in sampled segment
ES area classified as asparagus in sampled segment
AF area classified as lucerne in sampled segment
CO area classified as rape (Brassica Napus) in sampled segment
AR area classified as rice in sampled segment
AL area classified as almonds in sampled segment
OL area classified as olives in sampled segment
FR area classified as fruit trees in sampled segment
OBS the observed area of fruit trees in sampled segment

## Source

Militino, A. F., et. al. (2006) "Using Small Area Models to Estimate the Total Area Occupied by Olive Trees." Journal of Agricultural, Biological and Environmental Statistics, 11: 450-461.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = satfruit,
pairs(satfruit[ , 15:17]))
# Trellis Approach
splom(~data.frame(satfruit[ , 15:17]), data = satfruit)
```

SBIQ County IQ

## Description

A school psychologist administered the Stanford-Binet intelligence quotient (IQ) test in two counties. Forty randomly selected, gifted and talented students were selected from each county. The Stanford-Binet IQ test is said to follow a normal distribution with a mean of 100 and standard deviation of 16.

## Format

A data frame with 40 observations on the following 2 variables:

County1 IQ scores for county one
County2 IQ scores for county two

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = SBIQ, qqnorm(County1))
with(data = SBIQ, qqline(County1))
# Trellis Approach
qqmath(~County1, data = SBIQ, type=c("p", "r"))
```

Schizo Dopamine Activity

## Description

Twenty-five patients with schizophrenia were classified as psychotic or nonpsychotic after being treated with an antipsychotic drug. Samples of cerebral fluid were taken from each patient and assayed for dopamine b-hydroxylase ( DBH ) activity. The dopamine measurements for the two groups are in $\mathrm{nmol} /(\mathrm{ml})(\mathrm{h}) /(\mathrm{mg})$ of protein.

## Format

A data frame with 15 observations on the following 2 variables:
nonpsychotic dopamine activity level for patients classified nonpsychotic
psychotic dopamine activity level for patients classified psychotic

## Source

Sternberg, D. E., Van Kammen, D. P., and Bunney,W. E. (1982) "Schizophrenia: Dopamine bHydroxylase Activity and Treatment Response." Science, 216: 1423-1425.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Schizo, boxplot(nonpsychotic, psychotic,
names = c("nonpsychotic", "psychotic"), col = c("green", "red")))
```


## Score <br> Standardized Test Scores

## Description

Standardized test scores from a random sample of twenty college freshmen.

## Format

A data frame with 20 observations on the following variable:
scores standardized test score

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
qqmath(~scores, data = Score, type=c("p", "r"))
```

SDS4 M1 Motorspeedway Times

## Description

The times recorded are those for 41 successive vehicles travelling northwards along the M1 motorway in England when passing a fixed point near Junction 13 in Bedfordshire on Saturday, March 23, 1985. After subtracting the times, the following 40 interarrival times reported to the nearest second are stored in SDS4 under the variable Times. Data are used in Example 10.17.

## Format

A data frame with 40 observations on the following variable:

Times interarrival times to the nearest second

## Source

Hand, D. J., et. al. (1994) A Handbook of Small Data Sets. Chapman \& Hall, London.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = SDS4, hist(Times))
```

SIGN.test Sign Test

## Description

This function will test a hypothesis based on the sign test and reports linearly interpolated confidence intervals for one sample problems.

## Usage

```
SIGN.test(
        x,
        y = NULL,
        md = 0,
        alternative = "two.sided",
        conf.level = 0.95,
    )
```


## Arguments

x
y optional numeric vector; NAs and Infs are allowed but will be removed.
md a single number representing the value of the population median specified by the null hypothesis
alternative is a character string, one of "greater", "less", or "two.sided", or the initial letter of each, indicating the specification of the alternative hypothesis. For onesample tests, alternative refers to the true median of the parent population in relation to the hypothesized value of the median.
conf.level confidence level for the returned confidence interval, restricted to lie between zero and one
... further arguments to be passed to or from methods

## Details

Computes a "Dependent-samples Sign-Test" if both x and y are provided. If only x is provided, computes the "Sign-Test."

## Value

A list of class htest_S, containing the following components:
statistic the $S$-statistic (the number of positive differences between the data and the hypothesized median), with names attribute " $S$ ".
$p$.value the $p$-value for the test

| conf.int | is a confidence interval (vector of length 2 ) for the true median based on linear <br> interpolation. The confidence level is recorded in the attribute conf. level. <br> When the alternative is not "two.sided", the confidence interval will be half- <br> infinite, to reflect the interpretation of a confidence interval as the set of all <br> values k for which one would not reject the null hypothesis that the true mean <br> or difference in means is k. Here infinity will be represented by Inf. <br> is avector of length 1, giving the sample median; this estimates the correspond- <br> ing population parameter. Component estimate has a names attribute describ- <br> ing its elements. <br> is the value of the median specified by the null hypothesis. This equals the <br> input argument md. Component null. value has a names attribute describing its <br> elements. <br> records the value of the input argument alternative: "greater", "less", or |
| :--- | :--- |
| null.value |  |
| "two.sided" |  |

a 3 by 3 matrix containing the lower achieved confidence interval, the interpolated confidence interval, and the upper achived confidence interval

## Null Hypothesis

For the one-sample sign-test, the null hypothesis is that the median of the population from which $x$ is drawn is md. For the two-sample dependent case, the null hypothesis is that the median for the differences of the populations from which $x$ and $y$ are drawn is $m d$. The alternative hypothesis indicates the direction of divergence of the population median for $x$ from md (i.e., "greater", "less", "two.sided".)

## Assumptions

The median test assumes the parent population is continuous.

## Note

The reported confidence interval is based on linear interpolation. The lower and upper confidence levels are exact.

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## References

- Gibbons, J.D. and Chakraborti, S. 1992. Nonparametric Statistical Inference. Marcel Dekker Inc., New York.
- Kitchens, L.J. 2003. Basic Statistics and Data Analysis. Duxbury.
- Conover, W. J. 1980. Practical Nonparametric Statistics, 2nd ed. Wiley, New York.
- Lehmann, E. L. 1975. Nonparametrics: Statistical Methods Based on Ranks. Holden and Day, San Francisco.


## See Also

z.test, zsum.test, tsum.test

## Examples

```
with(data = Phone, SIGN.test(call.time, md = 2.1))
# Computes two-sided sign-test for the null hypothesis
# that the population median is 2.1. The alternative
# hypothesis is that the median is not 2.1. An interpolated
# upper 95% upper bound for the population median will be computed.
```

```
SimDataST Simulated Data (Predictors)
```


## Description

Simulated data for five variables. Data are used with Example 12.21.

## Format

A data frame with 200 observations on the following 5 variables:
Y1 a numeric vector
Y2 a numeric vector
$\mathbf{x 1}$ a numeric vector
$\mathbf{x} 2$ a numeric vector
x3 a numeric vector

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
xyplot(Y1 ~ x1, data = SimDataST, type=c("p", "smooth"))
```


## Description

Simulated data for four varaibles. Data are used with Example 12.18.

## Format

A data frame with 200 observations on the following 4 variables:
Y a numeric vector
$\mathbf{x 1}$ a numeric vector
$\mathbf{x} 2$ a numeric vector
$\mathbf{x 3}$ a numeric vector

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

xyplot(Y ~ x1, data = SimDataXT, type=c("p", "smooth"))

| Soccer $\quad$ World Cup Soccer |
| :--- |

## Description

Soccer contains how many goals were scored in the regulation 90 minute periods of World Cup soccer matches from 1990 to 2002. Data are used in Example 4.4.

## Format

A data frame with 575 observations on the following 3 variables:
CGT cumulative goal time in minutes
Game game in which goals were scored
Goals number of goals scored in regulation period

## Details

The World Cup is played once every four years. National teams from all over the world compete. In 2002 and in 1998, thirty-six teams were invited; whereas, in 1994 and in 1990, only 24 teams participated. The data frame Soccer contains three columns: CGT, Game, and Goals. All of the information contained in Soccer is indirectly available from the FIFA World Cup website, located at https://www.fifa.com/.

## Source

Chu, S. (2003) "Using Soccer Goals to Motivate the Poisson Process." INFORMS Transaction on Education, 3, 2: 62-68.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with(data $=$ Soccer, table(Goals))

## SRS <br> Simple Random Sample

## Description

Computes all possible samples from a given population using simple random sampling

## Usage

SRS(popvalues, n)

## Arguments

popvalues are values of the population. NAs and Infs are allowed but will be removed from the population.
n
the sample size

## Details

If non-finite values are entered as part of the population, they are removed; and the returned simple random sample computed is based on the remaining finite values.

## Value

The function srs() returns a matrix containing the possible simple random samples of size $n$ taken from a population of finite values popvalues.

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## See Also

combn

## Examples

```
SRS(popvalues = c(5, 8, 3, NA, Inf), n = 2)
```


## StatTemps Student Temperature

## Description

In a study conducted at Appalachian State University, students used digital oral thermometers to record their temperatures each day they came to class. A randomly selected day of student temperatures is provided in StatTemps. Information is also provided with regard to subject gender and the hour of the day when the students' temperatures were measured.

## Format

A data frame with 34 observations on the following 3 variables:
temperature temperature in farenheit
gender a factor with levels Female and Male
class a factor with levels 8 a.m. and 9 a.m.

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
bwplot(gender ~ temperature, data = StatTemps)
```

Stschool School Satisfaction

## Description

A questionnaire is randomly administered to 11 students from State School $X$ and to 15 students from State School Y (the results have been ordered and stored in the data frame Stschool). Data are used in Example 9.11.

## Format

A data frame with 26 observations on the following 4 variables:
X satisfaction score
Y satisfaction score
Satisfaction combined satisfaction scores
School a factor with levels $X$ and $Y$

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with(data $=$ Stschool,
t.test $(X, Y$, var.equal $=$ TRUE $)$ )
Sundig Workstation Comparison

## Description

To compare the speed differences between two different brands of workstations (Sun and Digital), the times each brand took to complete complex simulations was recorded. Five complex simulations were selected, and the five selected simulations were run on both workstations. The resulting times in minutes for the five simulations are stored in data frame Sundig.

## Format

A data frame with 5 observations on the following 3 variables:
SUN time in seconds for a Sun workstation to complete a simulation
DIGITAL time in seconds for a Digital workstation to complete a simulation
d difference between Sun and Digital

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Sundig,
t.test(SUN, DIGITAL, paired = TRUE)$conf)
```

```
sunflower Sunflower Defoliation
```


## Description

Seventy-two field trials were conducted by applying four defoliation treatments (non defoliated control, $33 \%, 66 \%$, and $100 \%$ ) at different growth stages (stage) ranging from pre-flowering (1) to physiological maturity (5) in four different locations of Navarra, Spain: Carcastillo (1), Melida (2), Murillo (3), and Unciti (4). There are two response variables: yield in $\mathrm{kg} / \mathrm{ha}$ of the sunflower and numseed, the number of seeds per sunflower head. Data are stored in the data frame sunflower. Data used in Case Study: Sunflower defoliation from Chapter 11.

## Format

A data frame with 72 observations on the following 5 variables:
location a factor with levels A, B, C, and D for locations Carcastillo, Melida, Murillo, and Unciti respectively
stage a factor with levels stage1, stage2, stage3, stage4, and stage5
defoli a factor with levels control, treat1, treat2, and treat3
yield sunflower yield in $\mathrm{kg} / \mathrm{ha}$
numseed number of seeds per sunflower head

## Source

Muro, J., et. al. (2001) "Defoliation Effects on Sunflower Yield Reduction." Agronomy Journal, 93: 634-637.

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
summary(aov(yield ~ stage + defoli + stage:defoli, data = sunflower))
```

SurfaceSpain Surface Area for Spanish Communities

## Description

Surface area $\left(\mathrm{km}^{\wedge} 2\right)$ for seventeen autonomous Spanish communities.

## Format

A data frame with 17 observations on the following 2 variables:
community a factor with levels Andalucia, Aragon, Asturias, Baleares, C.Valenciana, Canarias, Cantabria, Castilla-La Mancha, Castilla-Leon, Cataluna, Extremadura, Galicia, La Rioja, Madrid, Murcia, Navarra, and P.Vasco
surface surface area in $\mathrm{km}^{\wedge} 2$

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = SurfaceSpain,
barplot(surface, names.arg = community, las = 2))
# Trellis Approach
barchart(community ~ surface, data = SurfaceSpain)
```

Swimtimes Swim Times

## Description

Swimmers' improvements in seconds for two diets are stored in the data frame Swimtimes. The values in highfat represent the time improvement in seconds for swimmers on a high fat diet, and the values in lowfat represent the time improvement in seconds for swimmers on a low fat diet. Data are used in Example 10.9.

## Format

A data frame with 14 observations on the following 2 variables:
lowfat time improvement in seconds
highfat time improvement in seconds

## Details

Times for the thirty-two swimmers for the 200 yard individual medley were taken right after the swimmers' conference meet. The swimmers were randomly assigned to follow one of the diets. The group on diet 1 followed a low fat diet the entire year but lost two swimmers along the way. The group on diet 2 followed the high fat diet the entire year and also lost two swimmers.

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Swimtimes,
wilcox.test(highfat, lowfat))
```

Tennis Speed Detector

## Description

The Yonalasee tennis club has two systems to measure the speed of a tennis ball. The local tennis pro suspects one system (Speed1) consistently records faster speeds. To test her suspicions, she sets up both systems and records the speeds of 12 serves (three serves from each side of the court). The values are stored in the data frame Tennis in the variables Speed1 and Speed2. The recorded speeds are in kilometers per hour.

## Format

A data frame with 12 observations on the following 2 variables:
Speed1 speed in kilometers per hour
Speed2 speed in kilometers per hour

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Tennis,
boxplot(Speed1, Speed2))
```


## TestScores Statistics Grades

## Description

Test grades of 29 students taking a basic statistics course

## Format

A data frame with 29 observations on the following variable:
grade test score

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with(data $=$ TestScores, EDA(grade))

Tire
Tire Stopping Distances

## Description

The data frame Tire has the stopping distances measured to the nearest foot for a standard sized car to come to a complete stop from a speed of sixty miles per hour. There are six measurements of the stopping distance for four different tread patterns labeled A, B, C, and D. The same driver and car were used for all twenty-four measurements. Data are used in Example 11.1 and 11.2.

## Format

A data frame with 24 observations on the following 2 variables:
StopDist stopping distance measured to the nearest foot
tire a factor with levels $A, B, C$, and $D$

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
summary(aov(StopDist ~ tire, data = Tire))
```

| TireWear $\quad$ Tire Wear |
| :--- | :--- |

## Description

The data frame TireWear contains measurements for the amount of tread loss after 10,000 miles of driving in thousandths of an inch. Data are used in Example 11.8.

## Format

A data frame with 16 observations on the following 3 variables:

Wear tread loss measured in thousandths of an inch
Treat a factor with levels $A, B, C$, and $D$
Block a factor with levels Car1, Car2, Car3, and Car4

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
par(mfrow = c(1, 2), cex = 0.8)
with(data = TireWear,
interaction.plot(Treat, Block, Wear, type = "b", legend = FALSE))
with(data = TireWear,
interaction.plot(Block, Treat, Wear, type = "b", legend = FALSE))
par(mfrow = c(1, 1), cex = 1)
```


## Description

The titanic3 data frame describes the survival status of individual passengers on the Titanic. The titanic3 data frame does not contain information for the crew, but it does contain actual and estimated ages for almost $80 \%$ of the passengers.

## Format

A data frame with 1309 observations on the following 14 variables:
pclass a factor with levels 1 st , 2nd, and 3 rd
survived Survival ( $0=$ No; $1=$ Yes )
name Name
sex a factor with levels female and male
age age in years
sibsp Number of Siblings/Spouses Aboard
parch Number of Parents/Children Aboard
ticket Ticket Number
fare Passenger Fare
cabin Cabin
embarked a factor with levels Cherbourg, Queenstown, and Southampton
boat Lifeboat
body Body IdentificationNumber
home.dest Home/Destination

## Details

Thomas Cason of UVa has greatly updated and improved the titanic data frame using the Encyclopedia Titanica and created a new dataset called titanic3. This dataset reflects the state of data available as of August 2, 1999. Some duplicate passengers have been dropped, many errors have been corrected, many missing ages have been filled in, and new variables have been created.

## Source

https://hbiostat.org/data/repo/titanic.html

## References

Harrell, F. E. (2001) Regression Modeling Strategies with Applications to Linear Models, Logistic Regression, and Survival Analysis. Springer.

## Examples

```
with(titanic3,
table(pclass, sex))
```

    TOE Nuclear Energy
    
## Description

Nuclear energy (in TOE, tons of oil equivalent) produced in 12 randomly selected European countries during 2003

## Format

A data frame with 12 observations on the following variable:
energy nuclear energy measured in tons of oil equivalent

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with(TOE,
plot(density(energy)))

| Top20 Tennis Income |
| :--- | :--- |

## Description

Top20 contains data (in millions of dollars) corresponding to the earnings of 15 randomly selected tennis players whose earnings fall somewhere in positions 20 through 100 of ranked earnings.

## Format

A data frame with 15 observations on the following variable:
income yearly income in millions of dollars

## Source

https://www.atptour.com/

## References

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with(data = Top20,
EDA(income))
tsum.test Summarized t-test

## Description

Performs a one-sample, two-sample, or a Welch modified two-sample t-test based on user supplied summary information. Output is identical to that produced with $t$. test.

## Usage

```
    tsum.test(
        mean.x,
        s.x = NULL,
        n.x = NULL,
        mean.y = NULL,
        s.y = NULL,
        n.y = NULL,
        alternative = c("two.sided", "less", "greater"),
        mu = 0,
        var.equal = FALSE,
        conf.level = 0.95,
    )
```


## Arguments

mean. $x \quad a \quad$ single number representing the sample mean of $x$
s. $x \quad$ a single number representing the sample standard deviation of $x$
$n . x \quad a$ single number representing the sample size of $x$
mean. $y \quad$ a single number representing the sample mean of $y$
s.y a single number representing the sample standard deviation of $y$

| n.y | a single number representing the sample size of $y$ |
| :--- | :--- |
| alternative |  |
| is a character string, one of "greater", "less", or "two.sided", or just the |  |
| initial letter of each, indicating the specification of the alternative hypothesis. |  |
| For one-sample tests, alternative refers to the true mean of the parent pop- |  |
| ulation in relation to the hypothesized value mu. For the standard two-sample |  |
| tests, alternative refers to the difference between the true population mean |  |
| for x and that for y, in relation to mu. For the one-sample and paired t-tests, |  |
| alternative refers to the true mean of the parent population in relation to the |  |
| hypothesized value mu. For the standard and Welch modified two-sample t-tests, |  |
| alternative refers to the difference between the true population mean for $x$ |  |
| and that for y, in relation to mu. For the one-sample t-tests, alternative refers to |  |
| the true mean of the parent population in relation to the hypothesized value mu. |  |

## Details

If $y$ is NULL, a one-sample $t$-test is carried out with $x$. If $y$ is not NULL, either a standard or Welch modified two-sample t-test is performed, depending on whether var. equal is TRUE or FALSE.

## Value

A list of class htest, containing the following components:

| statistic <br> parameters | the t-statistic, with names attribute "t" <br> is the degrees of freedom of the t-distribution associated with statistic. Compo- <br> nent parameters has names attribute "df". |
| :--- | :--- |
| p.value | the p-value for the test |
| conf.int | is a confidence interval (vector of length 2) for the true mean or difference in <br> means. The confidence level is recorded in the attribute conf. level. When <br> alternative is not "two.sided", the confidence interval will be half-infinite, to <br> reflect the interpretation of a confidence interval as the set of all values k for <br> which one would not reject the null hypothesis that the true mean or difference <br> in means is k. Here infinity will be represented by Inf. <br> is a vector of length 1 or 2, giving the sample mean(s) or mean of differences; <br> these estimate the corresponding population parameters. Component estimate |
| estimate a names attribute describing its elements. |  |

null.value is the value of the mean or difference in means specified by the null hypothesis. This equals the input argument mu. Component null.value has a names attribute describing its elements.
alternative records the value of the input argument alternative: "greater", "less" or "two.sided".
data.name is a character string (vector of length 1) containing the names x and y for the two summarized samples.

## Null Hypothesis

For the one-sample t-test, the null hypothesis is that the mean of the population from which x is drawn is mu. For the standard and Welch modified two-sample t-tests, the null hypothesis is that the population mean for x less that for y is mu.
The alternative hypothesis in each case indicates the direction of divergence of the population mean for $x$ (or difference of means for $x$ and $y$ ) from mu (i.e., "greater", "less", or "two.sided").

## Test Assumptions

The assumption of equal population variances is central to the standard two-sample t-test. This test can be misleading when population variances are not equal, as the null distribution of the test statistic is no longer a $t$-distribution. If the assumption of equal variances is doubtful with respect to a particular dataset, the Welch modification of the $t$-test should be used.
The $t$-test and the associated confidence interval are quite robust with respect to level toward heavytailed non-Gaussian distributions (e.g., data with outliers). However, the t-test is non-robust with respect to power, and the confidence interval is non-robust with respect to average length, toward these same types of distributions.

## Confidence Intervals

For each of the above tests, an expression for the related confidence interval (returned component conf.int) can be obtained in the usual way by inverting the expression for the test statistic. Note that, as explained under the description of conf.int, the confidence interval will be half-infinite when alternative is not "two. sided" ; infinity will be represented by Inf.

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## References

- Kitchens, L.J. 2003. Basic Statistics and Data Analysis. Duxbury.
- Hogg, R. V. and Craig, A. T. 1970. Introduction to Mathematical Statistics, 3rd ed. Toronto, Canada: Macmillan.
- Mood, A. M., Graybill, F. A. and Boes, D. C. 1974. Introduction to the Theory of Statistics, 3rd ed. New York: McGraw-Hill.
- Snedecor, G. W. and Cochran, W. G. 1980. Statistical Methods, 7th ed. Ames, Iowa: Iowa State University Press.


## See Also

z.test, zsum.test

## Examples

```
# 95% Confidence Interval for mu1 - mu2, assuming equal variances
round(tsum.test(mean.x = 53/15, mean.y = 77/11, s.x=sqrt((222 - 15*(53/15)^2)/14),
s.y = sqrt((560 - 11*(77/11)^2)/10), n.x = 15, n.y = 11, var.equal = TRUE)$conf, 2)
# One Sample t-test
tsum.test(mean.x = 4, s.x = 2.89, n.x = 25, mu = 2.5)
```

twoway.plots Exploratory Graphs for Two Factor Designs

## Description

Function creates side-by-side boxplots for each factor, a design plot (means), and an interaction plot.

## Usage

twoway.plots(Y, fac1, fac2, COL = c("\#A9E2FF", "\#0080FF"))

## Arguments

| $Y$ | response variable |
| :--- | :--- |
| fac1 | factor one |
| fac2 | factor two |
| COL | a vector with two colors |

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## See Also

oneway.plots, checking.plots

## Examples

with(data $=$ TireWear, twoway.plots(Wear, Treat, Block))
URLaddress Megabytes Downloaded

## Description

The manager of a URL commercial address is interested in predicting the number of megabytes downloaded, megasd, by clients according to the number minutes they are connected, mconnected. The manager randomly selects (megabyte, minute) pairs, and records the data. The pairs (megasd, mconnected) are stored in the data frame URLaddress.

## Format

A data frame with 30 observations on the following 2 variables:
megasd megabytes dowloaded
mconnected number of minutes connected

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
xyplot(mconnected ~ megasd, data = URLaddress, type=c("p", "r"))
```

```
vit2005 Apartments in Vitoria
```


## Description

Descriptive information and the appraised total price (in Euros) for apartments in Vitoria, Spain.

## Format

A data frame with 218 observations on the following 16 variables:
row.labels the number of the observation
totalprice the market total price (in Euros) of the apartment including garage(s) and storage room(s)
area the total living area of the apartment in square meters
zone a factor indicating the neighborhood where the apartment is located with levels $\mathrm{Z} 11, \mathrm{Z} 21, \mathrm{Z} 31$, Z32, Z34, Z35, Z36, Z37, Z38, Z41, Z42, Z43, Z44, Z45, Z46, Z47, Z48, Z49, Z52, Z53, Z56, Z61, and Z 62 .
category a factor indicating the condition of the apartment with levels $2 \mathrm{~A}, 2 \mathrm{~B}, 3 \mathrm{~A}, 3 \mathrm{~B}, 4 \mathrm{~A}, 4 \mathrm{~B}$, and 5 A . The factors are ordered so that 2 A is the best and 5 A is the worst.
age age of the aprtment
floor floor on which the apartment is located
rooms total number of rooms including bedrooms, dining room, and kitchen
out a factor indicating the percent of the apartment exposed to the elements. The levels E100, E75, E50, and E25, correspond to complete exposure, $75 \%$ exposure, $50 \%$ exposure, and $25 \%$ exposure respectively.
conservation is an ordered factor indicating the state of conservation of the apartment. The levels $1 \mathrm{~A}, 2 \mathrm{~A}, 2 \mathrm{~B}$, and 3 A are ordered from best to worst conservation.
toilets the number of bathrooms
garage the number of garages
elevator indicates the absence (0) or presence (1) of elevators.
streetcategory an ordered factor from best to worst indicating the category of the street with levels S2, S3, S4, and S5
heating a factor indicating the type of heating with levels $1 \mathrm{~A}, 3 \mathrm{~A}, 3 \mathrm{~B}$, and 4 A which correspond to: no heating, low-standard private heating, high-standard private heating, and central heating respectively.
tras the number of storage rooms outside of the apartment

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
modTotal <- lm(totalprice ~ area + as.factor(elevator) +
area:as.factor(elevator), data = vit2005)
modSimpl <- lm(totalprice ~ area, data = vit2005)
anova(modSimpl,modTotal)
rm(modSimpl, modTotal)
```

Wait Waiting Time

## Description

A statistician records how long he must wait for his bus each morning. Data are used in Example 10.4 .

## Format

A data frame with 15 observations on the following variable:
wt waiting time in minutes

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with(data = Wait,
wilcox.test(wt, mu = 6, alternative = "less"))
Washer Washer Diameter

## Description

Diameter of washers.

## Format

A data frame with 20 observations on the following variable:
diameters diameter of washer in cm

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = Washer,
EDA(diameters))
```

Water Sodium Content of Water

## Description

An independent agency measures the sodium content in 20 samples from source $X$ and in 10 samples from source $Y$ and stores them in data frame Water. Data are used in Example 9.12.

## Format

A data frame with 30 observations on the following 4 variables:
$\mathbf{X}$ sodium content measured in $\mathrm{mg} / \mathrm{L}$
Y sodium content measured in $\mathrm{mg} / \mathrm{L}$
Sodium combined sodium content measured in mg/L
Source a factor with levels $X$ and $Y$

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with (data = Water,
t.test(X, Y, alternative = "less"))

## Description

The following data are the test scores from a group of 50 patients from the Virgen del Camino Hospital (Pamplona, Spain) on the Wisconsin Card Sorting Test.

## Format

A data frame with 50 observations on the following variable:
score score on the Wisconsin Card Sorting Test

## Details

The "Wisconsin Card Sorting Test" is widely used by psychiatrists, neurologists, and neuropsychologists with patients who have a brain injury, neurodegenerative disease, or a mental illness such as schizophrenia. Patients with any sort of frontal lobe lesion generally do poorly on the test.

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
densityplot(~score, data = WCST, ref = TRUE)
```

WeightGain Weight Gain in Rats

## Description

The data come from an experiment to study the gain in weight of rats fed on four different diets, distinguished by amount of protein (low and high) and by source of pretein (beef and cereal).

## Format

A data frame with 40 observations on the following 4 variables.
ProteinSource a factor with levels Beef Cereal
ProteinAmount a factor with levels High Low
weightgain weight gain in grams

## Details

The design of the experiment is acompletely randomized with ten rats on each of the four treatments.

## Source

D. J. Hand, F. Daly, A. D. Lunn, K. J. McConway and E. Ostrowski (1994) A Handbook of Small Datasets. Chapman and Hall/CRC, London.

## Examples

```
aov(weightgain ~ ProteinSource*ProteinAmount, data = WeightGain)
```

WheatSpain Wheat Surface Area in Spain

## Description

Seventeen Spanish communities and their corresponding surface area (in hecatares) dedicated to growing wheat

## Format

A data frame with 17 observations on the following 3 variables:
community a factor with levels Andalucia, Aragon, Asturias, Baleares, C.Valenciana, Canarias, Cantabria, Castilla-La Mancha, Castilla-Leon, Cataluna, Extremadura, Galicia, La Rioja, Madrid, Murcia, Navarra, and P. Vasco
hectares surface area measured in hectares
acres surface area measured in acres

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = WheatSpain,
```

boxplot(hectares))

```
    wheatUSA2004 USA Wheat Surface 2004
```


## Description

USA's 2004 harvested wheat surface by state

## Format

A data frame with 30 observations on the following 2 variables.
STATES a factor with levels AR, CA, CO, DE, GA, ID, IL, IN, KS, KY, MD, MI, MO, MS, MT, NC, NE, NY, OH, OK, OR, Other, PA, SC, SD, TN, TX, VA, WA, and WI
ACRES wheat surface area measured in 1000s of acres

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

```
with(data = wheatUSA2004,
hist(ACRES))
```

```
wilcoxE.test Wilcoxon Exact Test
```


## Description

Performs exact one sample and two sample Wilcoxon tests on vectors of data

## Usage

wilcoxE.test(
x ,
$y=$ NULL ,
mu $=0$,
paired $=$ FALSE,
alternative = c("two.sided", "less", "greater"), conf.level = 0.95
)

## Arguments

x
y an optional numeric vector of data values
mu a number specifying an optional parameter used to form the null hypothesis
paired
alternative
conf.level
is a numeric vector of data values. Non-finite (i.e. infinite or missing) values will be omitted.
a logical indicating whether you want a paired test
a character string specifying the alternative hypothesis, must be one of "two. sided" (default), "less", or "greater". You can specify just the initial letter. confidence level of the interval

品

## Details

If only $x$ is given, or if both $x$ and $y$ are given and paired $=$ TRUE, a Wilcoxon signed rank test of the null hypothesis that the distribution of $x$ (in the one sample case) or of $x-y$ (in the paired two sample case) is symmetric about mu is performed.

Otherwise, if both $x$ and $y$ are given and paired = FALSE, a Wilcoxon rank sum test is done. In this case, the null hypothesis is that the distribution of $x$ and $y$ differ by a location shift mu, and the alternative is that they differ by some other location shift (and the one-sided alternative "greater" is that $x$ is shifted to the right of $y$ ).

## Value

A list of class htest, containing the following components:
statistic the value of the test statistic with a name describing it
p .value the p -value for the test
null.value the location parameter mu
alternative a character string describing the alternative hypothesis
method the type of test applied
data. name a character string giving the names of the data
conf.int a confidence interval for the location parameter
estimate an estimate of the location parameter

## Note

The function is rather primitive and should only be used for problems with fewer than 19 observations as the memory requirements are rather large.

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## References

- Gibbons, J.D. and Chakraborti, S. 1992. Nonparametric Statistical Inference. Marcel Dekker Inc., New York.
- Hollander, M. and Wolfe, D.A. 1999. Nonparametric Statistical Methods. New York: John Wiley \& Sons.


## See Also

wilcox.test

## Examples

```
# Wilcoxon Signed Rank Test
PH <- c(7.2, 7.3, 7.3, 7.4)
wilcoxE.test(PH, mu = 7.25, alternative = "greater")
# Wilcoxon Signed Rank Test (Dependent Samples)
with(data = Aggression,
wilcoxE.test(violence, noviolence, paired = TRUE, alternative = "greater"))
# Wilcoxon Rank Sum Test
x <- c(7.2, 7.2, 7.3, 7.3)
y <- c(7.3, 7.3, 7.4, 7.4)
wilcoxE.test(x, y)
rm(PH, x, y)
```

    Wool Wool Production
    
## Description

Random sample of wool production in kilograms on 5 different days at two different locations

## Format

A data frame with 15 observations on the following 2 variables:
textileA wool production in thousands of kilograms
textileB wool production in thousands of kilograms

## Source

Ugarte, M. D., Militino, A. F., and Arnholt, A. T. (2008) Probability and Statistics with R. Chapman \& Hall/CRC.

## Examples

with(data $=$ Wool,
t.test(textileA, textileB))

```
z.test z-Test
```


## Description

This function is based on the standard normal distribution and creates confidence intervals and tests hypotheses for both one and two sample problems.

## Usage

```
    z.test(
        x,
        sigma.x = NULL,
        y = NULL,
        sigma.y = NULL,
        sigma.d = NULL,
        alternative = c("two.sided", "less", "greater"),
        mu = 0,
        paired = FALSE,
        conf.level = 0.95,
    )
```


## Arguments

x
sigma. $x$
y
sigma.y
sigma.d a single number representing the population standard deviation for the paired differences
alternative character string, one of "greater", "less", or "two.sided", or the initial letter of each, indicating the specification of the alternative hypothesis. For one-sample tests, alternative refers to the true mean of the parent population in relation to the hypothesized value mu. For the standard two-sample tests, alternative refers to the difference between the true population mean for x and that for y , in relation to mu.
mu a single number representing the value of the mean or difference in means specified by the null hypothesis
paired a logical indicating whether you want a paired z-test
conf.level confidence level for the returned confidence interval, restricted to lie between zero and one
... Other arguments passed onto z.test()

## Details

If y is NULL, a one-sample z -test is carried out with x provided sigma. x is not NULL. If y is not NULL, a standard two-sample $z$-test is performed provided both sigma. $x$ and sigma. $y$ are finite. If paired $=$ TRUE, a paired z-test where the differences are defined as $x-y$ is performed when the user enters a finite value for sigma. $d$ (the population standard deviation for the differences).

## Value

A list of class htest, containing the following components:
statistic the z -statistic, with names attribute z
p .value the p -value for the test
conf.int is a confidence interval (vector of length 2 ) for the true mean or difference in means. The confidence level is recorded in the attribute conf.level. When alternative is not "two.sided," the confidence interval will be half-infinite, to reflect the interpretation of a confidence interval as the set of all values $k$ for which one would not reject the null hypothesis that the true mean or difference in means is $k$. Here, infinity will be represented by Inf.
estimate vector of length 1 or 2, giving the sample mean(s) or mean of differences; these estimate the corresponding population parameters. Component estimate has a names attribute describing its elements.
null.value the value of the mean or difference of means specified by the null hypothesis. This equals the input argument mu. Component null. value has a names attribute describing its elements.
alternative records the value of the input argument alternative: "greater", "less", or "two.sided".
data. name a character string (vector of length 1) containing the actual names of the input vectors $x$ and $y$

## Null Hypothesis

For the one-sample z-test, the null hypothesis is that the mean of the population from which x is drawn is mu. For the standard two-sample z-test, the null hypothesis is that the population mean for x less that for y is mu. For the paired z -test, the null hypothesis is that the mean difference between $x$ and $y$ is mu.

The alternative hypothesis in each case indicates the direction of divergence of the population mean for $x$ (or difference of means for $x$ and $y$ ) from mu (i.e., "greater", "less", or "two.sided").

## Test Assumptions

The assumption of normality for the underlying distribution or a sufficiently large sample size is required along with the population standard deviation to use Z procedures.

## Confidence Intervals

For each of the above tests, an expression for the related confidence interval (returned component conf.int) can be obtained in the usual way by inverting the expression for the test statistic. Note that, as explained under the description of conf.int, the confidence interval will be half-infinite when alternative is not "two. sided" ; infinity will be represented by Inf.

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## References

- Kitchens, L.J. 2003. Basic Statistics and Data Analysis. Duxbury.
- Hogg, R. V. and Craig, A. T. 1970. Introduction to Mathematical Statistics, 3rd ed. Toronto, Canada: Macmillan.
- Mood, A. M., Graybill, F. A. and Boes, D. C. 1974. Introduction to the Theory of Statistics, $3 r d$ ed. New York: McGraw-Hill.
- Snedecor, G. W. and Cochran, W. G. 1980. Statistical Methods, 7th ed. Ames, Iowa: Iowa State University Press.


## See Also

zsum.test, tsum.test

## Examples

```
with(data = Grocery, z.test(x = groceries, sigma.x = 30, conf.level = 0.97)$conf)
# Example 8.3 from PASWR.
x <- rnorm(12)
z.test(x, sigma.x = 1)
# Two-sided one-sample z-test where the assumed value for
# sigma.x is one. The null hypothesis is that the population
# mean for 'x' is zero. The alternative hypothesis states
# that it is either greater or less than zero. A confidence
# interval for the population mean will be computed.
x <- c(7.8, 6.6, 6.5, 7.4, 7.3, 7., 6.4, 7.1, 6.7, 7.6, 6.8)
y <- c(4.5, 5.4, 6.1, 6.1, 5.4, 5., 4.1, 5.5)
z.test(x, sigma.x=0.5, y, sigma.y=0.5, mu=2)
# Two-sided standard two-sample z-test where both sigma.x
# and sigma.y are both assumed to equal 0.5. The null hypothesis
# is that the population mean for 'x' less that for 'y' is 2.
# The alternative hypothesis is that this difference is not 2.
# A confidence interval for the true difference will be computed.
z.test(x, sigma.x = 0.5, y, sigma.y = 0.5, conf.level = 0.90)
# Two-sided standard two-sample z-test where both sigma.x and
# sigma.y are both assumed to equal 0.5. The null hypothesis
# is that the population mean for ' }x\mathrm{ ' less that for ' }\textrm{y}\mathrm{ ' is zero.
# The alternative hypothesis is that this difference is not
# zero. A 90\% confidence interval for the true difference will
# be computed.
```

$r m(x, y)$
zsum.test Summarized z-test

## Description

This function is based on the standard normal distribution and creates confidence intervals and tests hypotheses for both one and two sample problems based on summarized information the user passes to the function. Output is identical to that produced with z. test.

## Usage

```
zsum.test(
    mean.x,
    sigma.x = NULL,
    n.x = NULL,
    mean.y = NULL,
    sigma.y = NULL,
    n.y = NULL,
    alternative = c("two.sided", "less", "greater"),
    mu = 0,
    conf.level = 0.95,
    )
```


## Arguments

| mean. x | a single number representing the sample mean of $x$ |
| :---: | :---: |
| sigma. x | a single number representing the population standard deviation for x |
| n. $x$ | a single number representing the sample size for y |
| mean.y | a single number representing the sample mean of $y$ |
| sigma.y | a single number representing the population standard deviation for y |
| $\mathrm{n} . \mathrm{y}$ | a single number representing the sample size for y |
| alternative | is a character string, one of "greater", "less", or "two.sided", or the initial letter of each, indicating the specification of the alternative hypothesis. For one-sample tests, alternative refers to the true mean of the parent population in relation to the hypothesized value mu. For the standard two-sample tests, alternative refers to the difference between the true population mean for x and that for y , in relation to mu . |
| mu | a single number representing the value of the mean or difference in means specified by the null hypothesis |
| conf.level | confidence level for the returned confidence interval, restricted to lie between zero and one |
|  | Other arguments passed onto z.test () |

## Details

If y is NULL, a one-sample z -test is carried out with x provided sigma. x is finite. If y is not NULL, a standard two-sample $z$-test is performed provided both sigma. $x$ and sigma. $y$ are finite.

## Value

A list of class htest, containing the following components:
statistic the z -statistic, with names attribute z
p.value the p-value for the test
conf.int is a confidence interval (vector of length 2 ) for the true mean or difference in means. The confidence level is recorded in the attribute conf.level. When alternative is not "two.sided, " the confidence interval will be half-infinite, to reflect the interpretation of a confidence interval as the set of all values k for which one would not reject the null hypothesis that the true mean or difference in means is $k$. Here, infinity will be represented by Inf.
estimate vector of length 1 or 2, giving the sample mean(s) or mean of differences; these estimate the corresponding population parameters. Component estimate has a names attribute describing its elements.
null.value the value of the mean or difference in means specified by the null hypothesis. This equals the input argument mu. Component null.value has a names attribute describing its elements.
alternative records the value of the input argument alternative: "greater", "less", or "two.sided".
data.name a character string (vector of length 1) containing the names $x$ and $y$ for the two summarized samples.

## Null Hypothesis

For the one-sample z-test, the null hypothesis is that the mean of the population from which x is drawn is mu. For the standard two-sample z-test, the null hypothesis is that the population mean for $x$ less that for $y$ is mu.

The alternative hypothesis in each case indicates the direction of divergence of the population mean for $x$ (or difference of means for $x$ and $y$ ) from mu (i.e., "greater", "less", or "two.sided").

## Test Assumptions

The assumption of normality for the underlying distribution or a sufficiently large sample size is required along with the population standard deviation to use Z procedures.

## Confidence Intervals

For each of the above tests, an expression for the related confidence interval (returned component conf.int) can be obtained in the usual way by inverting the expression for the test statistic. Note that, as explained under the description of conf.int, the confidence interval will be half-infinite when alternative is not "two. sided"; infinity will be represented by Inf.

## Author(s)

Alan T. Arnholt [arnholtat@appstate.edu](mailto:arnholtat@appstate.edu)

## References

- Kitchens, L.J. 2003. Basic Statistics and Data Analysis. Duxbury.
- Hogg, R. V. and Craig, A. T. 1970. Introduction to Mathematical Statistics, 3rd ed. Toronto, Canada: Macmillan.
- Mood, A. M., Graybill, F. A. and Boes, D. C. 1974. Introduction to the Theory of Statistics, 3rd ed. New York: McGraw-Hill.
- Snedecor, G. W. and Cochran, W. G. 1980. Statistical Methods, 7th ed. Ames, Iowa: Iowa State University Press.


## See Also

z.test, tsum.test

## Examples

```
zsum.test(mean.x = 56/30,sigma.x = 2, n.x = 30, alternative="greater", mu = 1.8)
# Example 9.7 part a. from PASWR.
x <- rnorm(12)
zsum.test(mean(x), sigma.x = 1, n.x = 12)
# Two-sided one-sample z-test where the assumed value for
# sigma.x is one. The null hypothesis is that the population
# mean for 'x' is zero. The alternative hypothesis states
# that it is either greater or less than zero. A confidence
# interval for the population mean will be computed.
# Note: returns same answer as:
z.test(x, sigma.x = 1)
x<-c(7.8, 6.6, 6.5, 7.4, 7.3, 7.0, 6.4, 7.1, 6.7, 7.6, 6.8)
y<-c(4.5, 5.4, 6.1, 6.1, 5.4, 5.0, 4.1, 5.5)
zsum.test(mean(x), sigma.x = 0.5, n.x = 11,mean(y), sigma.y = 0.5, n.y = 8, mu = 2)
# Two-sided standard two-sample z-test where both sigma.x
# and sigma.y are both assumed to equal 0.5. The null hypothesis
# is that the population mean for 'x' less that for 'y' is 2.
# The alternative hypothesis is that this difference is not 2.
# A confidence interval for the true difference will be computed.
# Note: returns same answer as:
z.test(x, sigma.x = 0.5, y, sigma.y = 0.5)
#
zsum.test(mean(x), sigma.x = 0.5, n.x = 11, mean(y), sigma.y = 0.5, n.y = 8,
conf.level=0.90)
# Two-sided standard two-sample z-test where both sigma.x and
# sigma.y are both assumed to equal 0.5. The null hypothesis
# is that the population mean for 'x' less that for 'y' is zero.
# The alternative hypothesis is that this difference is not
# zero. A 90% confidence interval for the true difference will
```

```
# be computed. Note: returns same answer as:
z.test(x, sigma.x=0.5, y, sigma.y=0.5, conf.level=0.90)
rm(x, y)
```


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